### Computational Astrophysics parallel programming

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# **Topics**

- vectorization
- parallelization models
- shared memory model (openMP)
- distributed memory model (MPI)
- practical example: PHOENIX

# acknowledgment

- 'The original MPI training materials were developed under the Joint Information Systems Committee (JISC) New Technologies Initiative by the Training and Education Centre at Edinburgh Parallel Computing Centre (EPCC-TEC), University of Edinburgh, United Kingdom.'
- in addition, material from the Konrad-Zuse-Zentrum (Berlin) was used (W. Baumann, H. Stüben)

# introduction

- in many cases, performance is not critical
- however, if CPU/wallclock times are long, performance can be critical
- first step: standard optimization practices
- many of those are done by the compiler
- if it is instructed to do so!
- $\blacktriangleright$   $\rightarrow$  *RTFM*

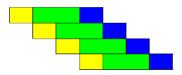
# introduction

- good coding practices help
- sometimes this is not enough
- some problems are just too large
- ightarrow ightarrow use more advanced techniques
- classical approach:
- vector processing
- introduced by Seymore Cray, early 80's.

Skalare Verarbeitung = serielle Vearbeitung:

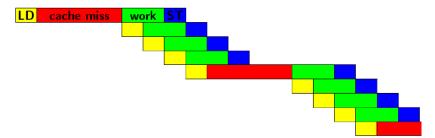
LD work ST

Vektorverarbeitung = Fließbandverarbeitung:



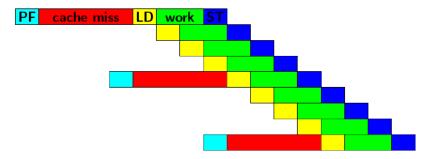


- also useful in modern CPUs via prefetch:
- standard, no prefetch





### with prefetch



## vectorization examples

vectorizable loops:

do i = 1, N a(i) = a(i) + 1 enddo





## vectorization examples

#### data dependency preventing vectorization:

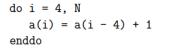
do i = 1, N
 a(0)
 a(1)

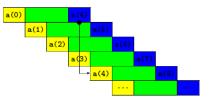
 a(i) = a(i - 1) + 1
 
$$4(1)$$
 a(2)

 enddo
 ...
 ...

## vectorization examples

### data dependency, safe vector length





- compilers can vectorize loops
- for this to work, they have to be written 'correctly' by the user
- often compiler directives are used to aid the compiler to avoid data dependencies etc.
- but there are always loops that cannot be vectorized
- speed-ups can be factors 2-25

- typical loop types:
- 1. full vector a(i) = b(i)
- 2. gather a(i) = b(j(i))
- 3. scatter a(j(i)) = b(i)
- 4. atomic update a(j(i)) = a(j(i)) + b(i)
- 5. reduction s = s + a(i)
- 6. Jacobi'' a(i) = (b(i 1) + b(i + 1)) / 2.0
- 7. "Gauß-Seidel" a(i) = (a(i 1) + a(i + 1)) / 2.0

- 1, 2, 5, 6 are vectorizable
- 3, 4 are vectorizable with directives
- 7 is vectorizable with checkerboard methods
- vectorization is good, but sometimes not successful

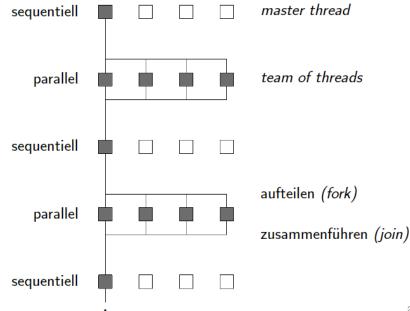
- vector processors hit performance limits quickly
- pipelines need to be filled (latencies)
- produce at best one result per cycle
- ► → processor cycle and memory speed limit performance
- for further improvements, parallelization is used

- there are two main parallelization concepts:
  - 1. single program, multiple data  $\rightarrow$  SIMD
  - 2. multiple program, multiple data  $\rightarrow$  MIMD
- each of these is used in practical applications
- the SIMD model is considered easier to use
- (I don't think so)

- SIMD parallel programs are used on *shared memory* parallel machines
- here, several CPUs share a common memory subsystem
- shared memory processing or symmetric multiprocessing (SMP) machines
- require complex hardware to keep cache coherency etc
- $\rightarrow$  expensive machines (especially if > 2 CPUs)

- how to program SIMD code on a SMP?
- typically done on the 'loop-level'
- one solution:
- HPF  $\rightarrow$  high performance fortran
- a set of compiler directives to allow parallel execution of loops
- not very flexible, but portable

- more general approach: openMP
- set of directives for fortran and C
- allow more complicated parallelization (not only loop level)
- assumes a SMP machine!
- basic concept:



- examples:
- simple parallel loop:

### atomic update:

```
!$omp parallel do
do i = 1, N
    !$omp atomic
    a(j(i)) = a(j(i)) + b(i)
enddo
```

### reduction:

```
s = 0.0
!$omp parallel do reduction(+: s)
do i = 1, N
    s = s + a(i)
enddo
```

```
Jacobi:
    !$omp parallel do
    do i = 1, N
        a(i) = (b(i - 1) + b(i + 1)) / 2.0
enddo
```

### parallel routines:

!\$omp parallel

call b static extent
call c
!\$omp end parallel

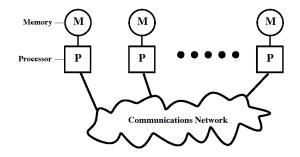
thread private variables:

- there are many more directives
- the standard is described at:
- http://www.openmp.org/
- openMP works well for some programs

- but typical problems are
  - poor scalability (depending on loop length)
  - implicit barriers causing slowdown
  - stupid and buggy compiler support
  - not much user control over parallelization and communication
- $\blacktriangleright \rightarrow \text{openMP}$  is good for some programs but not useful for many codes

- SMP hardware is expensive
- cheaper to use many simple machines for parallel codes
- how to write parallel codes on such machines?
- how to write more general (MIMD) programs?
- how to use aggregate memory of many machines?
- presently, this type of parallelization cannot be done automatically
- or through directives

- solution: use explicit communication between different machines
- this works also on SMP machines!
- the communication is handled through (public domain) libraries
- most frequently used (today):
- message passing interface MPI
- basic programming concept:



- each processor in a MPI program runs a different copy of the code
- written in a conventional sequential language.
- all variables are private.
- communicate via special subroutine calls.
- messages are packets of data moving between MPI tasks

- message passing system has to be told the following information:
  - sending processor
  - source location
  - data type
  - data length
  - receiving processor(s)
  - destination location
  - destination size

- important: receiving process is capable of dealing with messages it is sent
- Point-to-Point Communication:
  - one process sends a message to another
  - simplest form of message passing
  - different types of point-to-point communication

- Synchronous Sends:
- provide information about the completion of the message
- Asynchronous Sends
- only know when the message has left
- Blocking Operations:
- only return from the subroutine call when the operation has completed

- Non-Blocking Operations
- return straight away and allow the MPI task to continue to perform other work
- At some later time the MPI task can test or wait for the completion of the non-blocking operation

- Collective communications:
- higher level routines involving several MPI processes at a time
- Barriers:
- synchronize processes
- Broadcast:
- one-to-many communication

- Reduction Operations:
- combine data from several processes to produce a single result
- MPI provides facilities ('communicators' to address groups of MPI tasks
- each MPI process has a 'rank' to identify it
- MPI also works across heterogeneous clusters!
- MPI Pt-2-Pt operations:

OPERATION	MPI CALL
Standard send	MPI_SEND
Synchronous send	MPI_SSEND
Buffered send	MPI_BSEND
Ready send	MPI_RSEND
Receive	MPI_RECV

## MPI

NON-BLOCKING OPERATION	MPI CALL	
Standard send	MPI_ISEND	
Synchronous send	MPI_ISSEND	
Buffered send	MPI_IBSEND	
Ready send	MPI_IRSEND	
Receive	MPI_IRECV	

## MPI

- MPI codes require user design
- steep learning curve...
- this sounds harder than it is
- it is actually easier than getting SMP programs to work efficiently
- it is important to realize that the machines only communicate if told to!
- there are many more sources of error in parallel programs
- like the dreaded deadlock ...

## Example: PHOENIX code

- general-purpose stellar atmosphere code
- implements detailed micro-physics
- in development for  $\approx$  15 years
- portable
- about 1.8M lines of Fortran, C, C++ code
- applied successfully to a large variety of problems

## PHOENIX code

- parallelization to allow larger and more detailed simulations in reasonable timeframe.
- ► independent physical & logical program modules → allows task parallelism
  - $\rightarrow$  plus data parallelism within each module
- problem: very different types of simulations
- ightarrow 
  ightarrow require different algorithms

## (serial) CPU time

- $\blacktriangleright$  small for each individual point on the wavelength grid:  $\approx$  10 . . . 100 msec
- number of wavelength points for radiative transfer: 30,000-300,000 (can be > 10<sup>6</sup>)
- $\blacktriangleright \rightarrow$  up to 30,000 sec to "sweep" once through all wavelength points
- ► typically, ≈ 10 iterations (sweeps) are required to obtain an equilibrium model
- $\rightarrow \approx 3.5$  CPU days

. . .

there are, literally, 10000's of models in a typical grid

## Solution through parallelization

- large number of simulations
- complex code (verification on several different architectures)
- need to be able to run *efficiently* on different parallel supercomputers
- $\blacktriangleright$   $\rightarrow$  Fortran & MPI
- available on all major platforms
- public domain implementations: MPICH, LAM

## Solution through parallelization

- memory issues
  - MPI available on distributed memory systems
  - large aggregate memory of distributed memory machines
  - allows reduction of memory requirements per PE
  - $\rightarrow$  larger model calculations possible!

## Solution through parallelization

### scalability issues

- allows more efficient usage of multiple CPUs
- reduces wall-clock time for typical simulations
- depends very often on type of models: some simulations (stars) allow algorithms that scale very well, but some simulations (novae, SNe) do not
- → implement several algorithms that can be selected at run-time to obtain "best" overall performance while making simulations feasible!

- "longest" loop in the whole code: number of wavelength points!
- $\blacktriangleright$   $\rightarrow$  ideal for parallelization
- works extremely well for static configurations: each wavelength point can be done in parallel with no communication until each PE has completed its sweep.
- ► does not reduce memory requirements per PE → combine with other task/data parallel algorithms → concept of "wavelength clusters" with a set of "worker PEs" each

# Design

Wavelength Node 0

#### Wavelength Node 1

Wavelength Node 2

Worker 0	
Worker 1	
Worker 2	
Worker 3	

Worker 0	
Worker 1	
Worker 2	
Worker 3	

- - - -

	Worker 0			
	Worker 1			
	Worker 2	 		
	Worker 3			

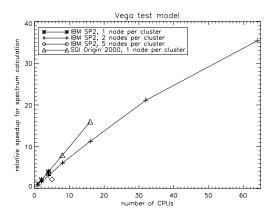
- expanding atmospheres: radiative transfer is *initial* value problem in wavelength
- wavelength point / depends on previous point / 1
- → use a "pipeline" approach to parallelization → cluster working on point *I* − 1 sends data to cluster working on *I*

problem separates into pre- and post-processing phases:

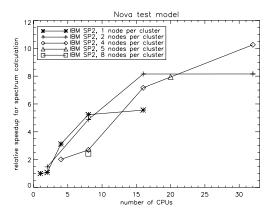
```
for i := 1 to NUMWAVELENGTHS
   pre_processing: {
     atomicLineOpacity(...)
     molecularLineOpacity(...)
     nlteOpacity(...)
   }
   radiativeTransfer(...)
   post_processing: {
     . . .
     nlteUpdateRates(...)
   }
end
```

- properties similar to vector pipeline
- limited scalability
- combination of clusters and workers can be used to increase performance on any given architecture
- performance depends on type of model:
- static  $\rightarrow$  nearly perfect scaling
- moving  $\rightarrow$  RT causes stalls

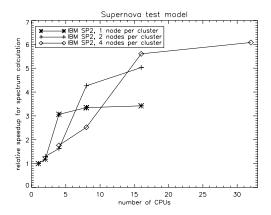
## static model



## nova model



## supernova model



## Conclusions

- parallelization of PHOENIX allows physically more detailed models
- decrease in wall-clock time per model is substantial for many types of simulations
- coding effort to implement MPI calls relatively small (about 33000 lines or 2%)
- logic for algorithm selection and load balancing fairly complex
- parallel version of PHOENIX is regularly used in production
- depending on simulation type we use between 4 and 2.5M PEs (single core)